

# Showing Restraint, Signaling Resolve

## Coalitions, Cooperation, and Crisis Bargaining

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# Book Project

**Question (general).** How does military cooperation (coalitions) affect patterns of war and peace?

- Costly cooperation requires costly compensation
  - ▶ Side payments, spoils, **bargaining strategies**
- Choice of coalition partner affects
  - ▶ Threats, signaling, and war
    - Today (model forthcoming at *AJPS*, empirics new)
  - ▶ Conflict expansion
    - Forthcoming at *ISQ* (2014)
  - ▶ Peace (or not) among victors
    - Last chapter of ms

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# Research Question

**Question (specific).** How do coalition partners affect the probability of war?

**(Possible) answer:** Maybe they affect signaling.

- Skittish partners often blamed for “weak” signals...
  - ▶ Fearon 1997, Russett 1963, Lake 2011
  - ▶ Christensen 2011, Byman & Waxman 2002
- But not all “weak” threats are dangerous:
  - ▶ Kosovo 1999
  - ▶ Berlin 1961

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# Defining Concepts

What *are* military coalitions?

- $\geq 2$  states that make a joint threat of war *in a crisis*
- Not necessarily (indeed rarely) formal allies
- Coding rules
  - ▶ ICB “triggering entity” + military involvement + prior to war
  - ▶ Subjective review can remove, not add

# Coalitions and crisis escalation, 1946-2000

<i>Escalates to war</i>				
<i>Coalition</i>	No	Yes	Total	Pr(war)
No	268	48	316	$\approx 0.15$
Yes	34	22	56	$\approx 0.39$
Total	302	70	372	

$$\chi^2_{(1)} = 18.0800, p = 0.000$$



# Decomposition Analysis

$\Pr(\text{War}) = 1$	<b>Probit</b>	<b>Decomposition</b>
Coalition <sub>1</sub>	0.836 (0.222) <sup>***</sup>	—
CINC <sub>1</sub>	-1.109 (1.489)	-0.013 (0.033)
CINC <sub>2</sub>	-0.892 (1.529)	-0.007 (0.012)
Relative Capabilities	-0.121 (0.328)	0.001 (0.016)

Significance levels: \* : 10%, \*\* : 5%, and \*\*\* : 1%

# What's missing?

Divergent preferences: “skittish” partners

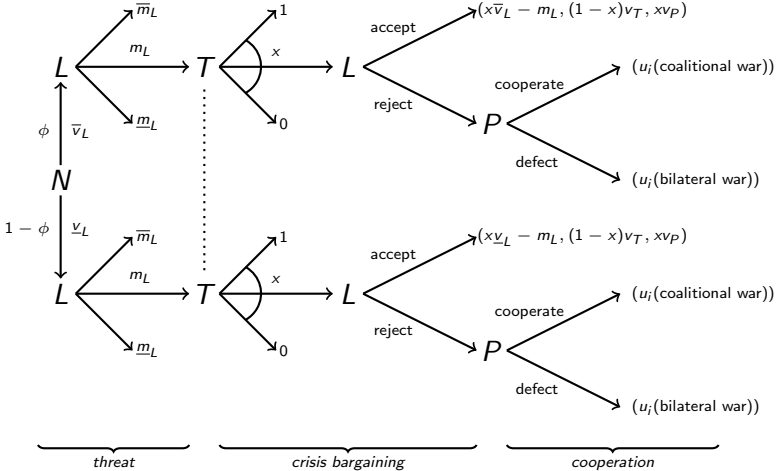
- Costs of war fall differently across coalition members
  - ▶ Domestic politics
  - ▶ Geography
  - ▶ Valuation of stakes
- Divergent preferences over mobilization/escalation
  - ▶ Partner's willingness to cooperate
  - ▶ Costs leader pays to secure cooperation

# A Theory of Coalitions and Crisis Bargaining

Threats (signals), bargaining, military cooperation

- Leader, (potential) Partner, Target
- T uncertain over L's resolve (valuation of stakes)
- Mobilization (high, low) affects military balance
  - ▶ Costly up front for L
  - ▶ Direct impact on P's costs for war
- Partner can refuse cooperation in event of war
  - ▶ (endogenous coalition formation)

# Game Tree



# Sets of Equilibria

Mobilization levels (high, low) may signal resolve

Three cases:

- Two players
  - ▶ No partner available
- Committed (i.e. non-skittish) partner
  - ▶ P cooperates for all mobilization levels
- Skittish partner
  - ▶ P cooperates iff low mobilization

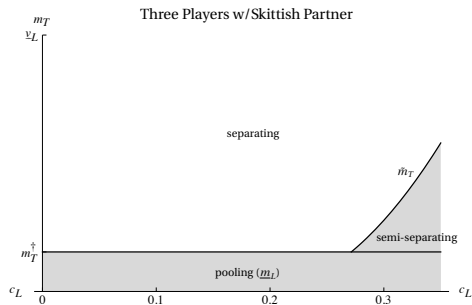
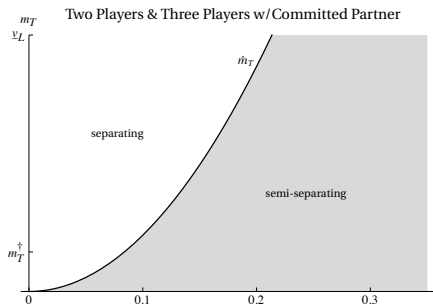
# Two Player & Committed Partner Equilibria

- Separating
  - ▶ Resolute  $L$  mobilizes high, irresolute low
  - ▶ Target does not risk war
- Semi-separating
  - ▶ Irresolute may bluff (high)
  - ▶ Target may risk war

# Skittish Partner Equilibria

- Separating
  - ▶ Resolute  $L$  mobilizes high, irresolute low
  - ▶ Target does not risk war
- Semi-separating
  - ▶ Irresolute may bluff (high)
  - ▶ Target may risk war
- Pooling
  - ▶ Both types choose *low* mobilization
  - ▶ Target risks war

# The Equilibrium Space





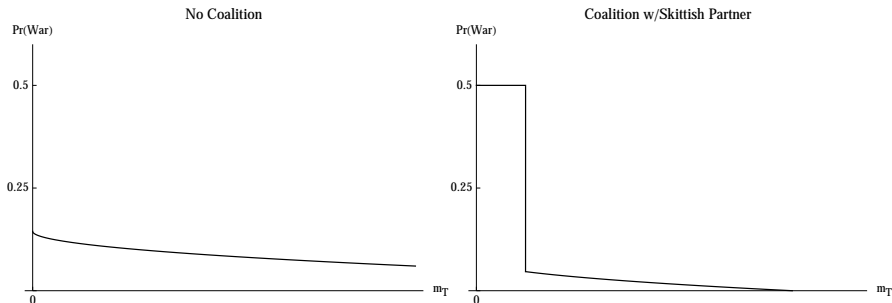
# Equilibrium Summary

When P is skittish. . .

- Coalitions form around moderated threats
- When target is strong (bluffing expensive),
  - ▶ preserving cooperation is disincentive to bluff
  - ▶ partner's presence *reduces* probability of war
- When target is weak (bluffing cheap),
  - ▶ preserving cooperation is disincentive to separate
  - ▶ partner's presence *increases* probability of war

# Empirical Implications

## Probability of war by partner presence and target strength



(Simulation based on equilibrium constraints and mixing probabilities)

# Expectations

Assuming skittish partner in the coalition:

- H.1** In bilateral crises, the probability of war decreases slightly (if at all) in target military capabilities.
- H.2** In coalitional crises, the probability war decreases sharply in target military capabilities.

# Empirical Model

- Sample: Directed crisis-side dyads (ICB), 1 v. 2
- DV: Escalation to war
- IVs: Coalition<sub>1</sub>, CINC<sub>T</sub>
- Controls: CINC<sub>1</sub>, number<sub>1</sub>, min distance<sub>1</sub>, % allied<sub>1</sub>, min polity<sub>1</sub>, UNSC support<sub>1</sub>, USA<sub>1</sub>, Cold War
- Errors: SEs clustered by crisis

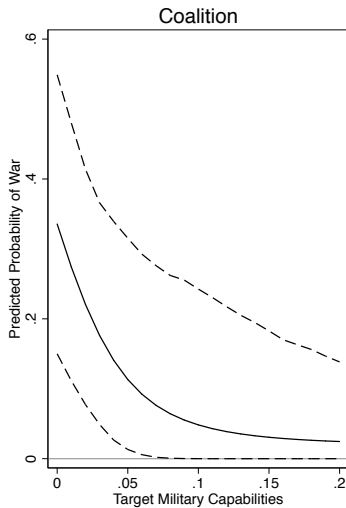
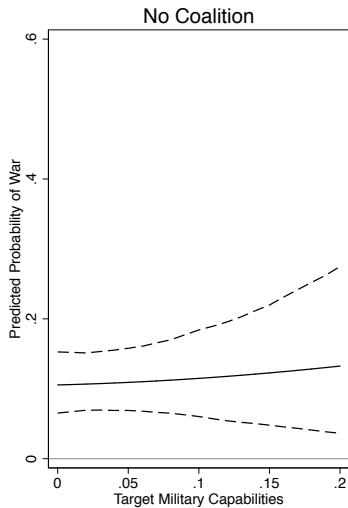
$$\Pr(\text{War} = 1) = \Phi(\alpha + \beta_1 \text{Coalition}_1 + \beta_2 \text{CINC}_T + \beta_3 (\text{Coalition}_1 \times \text{CINC}_T) + \beta \mathbf{X}_i + \varepsilon_i)$$

# Empirical Results

Pr(War = 1)		
Variable	Model 1 <i>No Interaction</i>	Model 2 <i>With Interaction</i>
Coalition <sub>1</sub>	0.62 (0.32)*	0.83 (0.33)**
CINC <sub>T</sub>	-0.57 (1.97)	0.40 (1.88)
Coalition <sub>1</sub> × CINC <sub>T</sub>	—	-19.03 (9.69)**
N	309	309
$\chi^2_{(d.f.)}$	22.28** <sub>(10)</sub>	26.96*** <sub>(11)</sub>

Significance levels: \* : 10%, \*\* : 5%, and \*\*\* : 1%

# Predicted Probabilities of War



# Conclusion

The tradeoff: signaling resolve, showing restraint

- Coalitional politics affect the probability of war
  - ▶ Intra-coalitional politics  $\times$  target characteristics
- Clarifies (abundant) conjectures about third parties
  - ▶ Neither always “bad” . . . nor always “good”
- Logic behind coalition formation
  - ▶ “Weak” threats can tie hands against risky bluffing

# Conclusion

Questions?



# Book Outline

- 1 Introduction
- 2 Why Coalitions?
  - ▶ Coalitions are unique phenomena, and I've got data!
- 3 Coalition Formation
  - ▶ Prefer Ps w/similar prefs, less selective as Ps  $\uparrow$  powerful
- 4 Coalitions, Signaling, and War
  - ▶ Coalition partners  $\uparrow$  war w/weak targets,  $\downarrow$  w/strong targets
- 5 Coalitional Durability and Conflict Expansion
  - ▶ Diversity  $\downarrow$  balancing vs strong coalitions,  $\uparrow$  vs weak ones
- 6 Conclusion
  - ▶ Diversity hastens breakdown of victorious coalitions

# Payoffs: Coalitional War

$$EU_L(\text{coalitional war}) = -m_L + \left( \frac{m_L + m_P}{m_L + m_P + m_T} \right) v_L - c_L$$

$$EU_P(\text{coalitional war}) = \left( \frac{m_L + m_P}{m_L + m_P + m_T} \right) v_P - c_P m_L$$

$$EU_T(\text{coalitional war}) = \left( \frac{m_T}{m_L + m_P + m_T} \right) v_T - c_T$$

# Payoffs: Bilateral War

$$EU_L(\text{bilateral war}) = -m_L + \left( \frac{m_L}{m_L + m_T} \right) v_L - c_L$$

$$EU_P(\text{bilateral war}) = \left( \frac{m_L}{m_L + m_T} \right) v_P$$

$$EU_T(\text{bilateral war}) = \left( \frac{m_T}{m_L + m_T} \right) v_T - c_T$$

# Defining skittishness

Cooperate if  $m_L^* = \underline{m}_L$ , or

$$\left( \frac{\underline{m}_L + m_P}{\underline{m}_L + m_P + m_T} \right) v_P - c_P \underline{m}_L \geq \left( \frac{\underline{m}_L}{\underline{m}_L + m_T} \right) v_P,$$

and defect if  $m_L^* = \bar{m}_L$ , or

$$\left( \frac{\bar{m}_L}{\bar{m}_L + m_T} \right) v_P > \left( \frac{\bar{m}_L + m_P}{\bar{m}_L + m_P + m_T} \right) v_P - c_P \bar{m}_L.$$

True when

$$c_P^l \leq c_P < c_P^h.$$

# Equilibrium probabilities of war

Where  $v_L = \bar{v}_L$  w/prob  $\phi$ ,  $h$  is prob that  $\underline{v}_L$  bluffs, and  $r$  is prob that T risks war given  $m_L^* = \bar{m}_L$ ,

- No coalition (or committed partner):
  - ▶  $\Pr(\text{war}) = \phi hr$  when  $m_T < \hat{m}_T$ .
  - ▶  $\Pr(\text{war}) = 0$  when  $m_T \geq \hat{m}_T$ .
- Coalition w/skittish partner:
  - ▶  $\Pr(\text{war}) = \phi$  when  $m_T < m_T^\dagger$ .
  - ▶  $\Pr(\text{war}) = \phi hr$  when  $m_T^\dagger \leq m_T < \tilde{m}_T$ .
  - ▶  $\Pr(\text{war}) = 0$  when  $m_T \geq \tilde{m}_T$ .

# Full Empirical Results

**Table 4.1:** Probit models of crisis escalation, 1946-2000

Pr(War = 1)		
Variable	Model 1 <i>No Interaction</i>	Model 2 <i>With Interaction</i>
— <i>Theoretical variables</i> —		
Coalition <sub>1</sub>	0.62 (0.32)*	0.83 (0.33)**
CINC <sub>T</sub>	-.57 (1.97)	0.40 (1.88)
Coalition <sub>1</sub> × CINC <sub>T</sub>	—	-19.03 (9.69)**
— <i>Control variables</i> —		
CINC <sub>1</sub>	1.91 (1.98)	2.95 (2.05)
Number <sub>1</sub>	0.18 (0.10)*	0.17 (0.11)
Minimum Distance <sub>1</sub>	0.00 (0.00)	0.00 (0.00)
Percent Allied <sub>1</sub>	-0.48 (0.62)	-0.57 (0.62)
Low Democracy	-0.02 (0.02)	-0.02 (0.02)
UNSC Support <sub>1</sub>	0.26 (0.34)	0.24 (0.33)
United States <sub>1</sub>	-1.10 (0.54)**	-1.12 (0.52)**
Cold War	0.43 (0.29)	0.43 (0.29)
Intercept	-1.83 (0.30)***	-1.88 (0.31)***
Model Statistics		
N	309	309
Log-likelihood	-117.62	-115.87
$\chi^2_{(d.f.)}$	22.28** <sub>(10)</sub>	26.96*** <sub>(11)</sub>

Significance levels: \* : 10%, \*\* : 5%, and \*\*\* : 1%

# Decomposition Analysis

Pr(War) = 1	Probit	Decomposition
Coalition <sub>1</sub>	0.836 (0.222)***	—
CINC <sub>1</sub>	-1.109 (1.489)	-0.013 (0.033)
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Relative Capabilities	-0.121 (0.328)	0.001 (0.016)
Number <sub>2</sub>	0.251 (0.115)**	-0.028 (0.016)
Intercept	-1.247 (0.227)***	—
Pr(War No Coalition)		0.153
Pr(War Coalition)		0.392
Difference		-0.2399
Total Explained		-0.0306

Significance levels: \* : 10%, \*\* : 5%, and \*\*\* : 1%